

IBEX — 2002

SAP REPORT

F. Mencaraglia

3/17/03

Operating conditions

Before entering in the details it is interesting to have a look at the operating conditions of the SAP. All results described below have been obtained at float altitude; temperature of the system has always been within the specs as we can see in figure 1 inclinometer and shaft encoder temperature have always been higher than the threshold for heater going on.

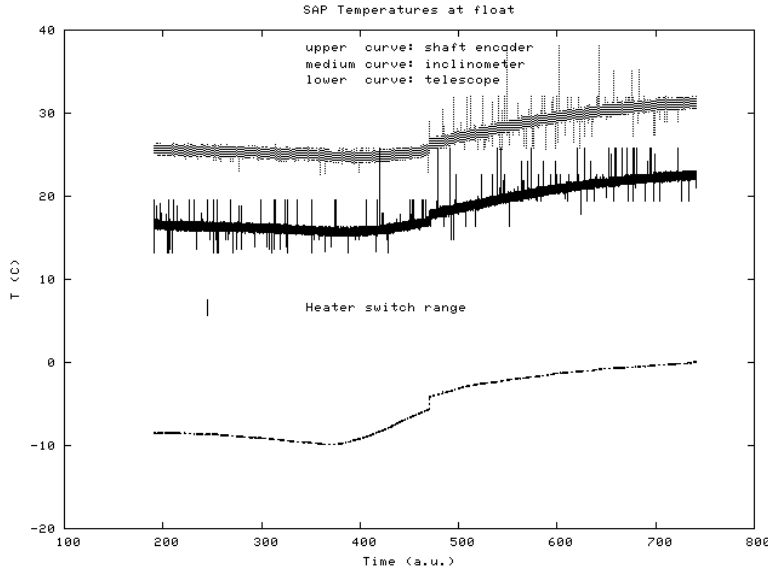


Illustration 1 Temperature of SAP components

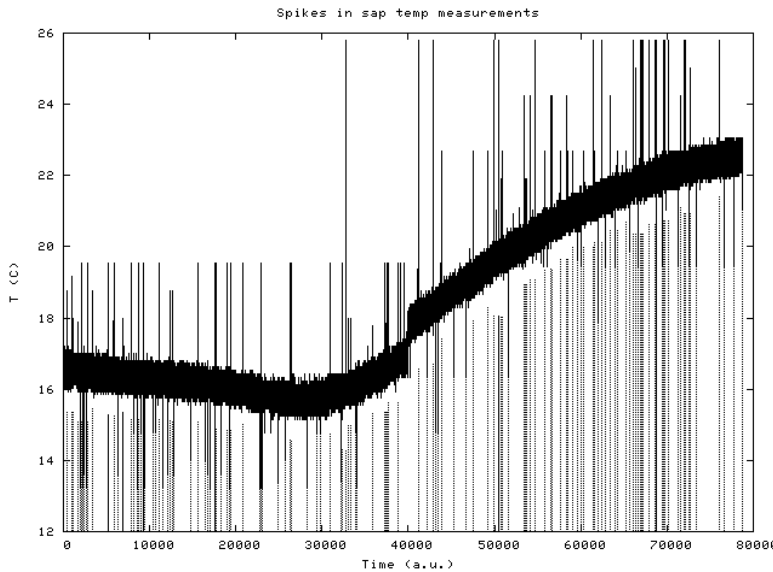


Illustration 2 Spikes in SAP temperature

visible in figures 1 and 2.

From the results we notice that the temperature has several spikes. A short section may be seen in figure 2 below.

Note that the spike width is only 1 datum as seen in figures 3 and 4. Temperature data are taken with a sample rate of ~ 0.5 sec; it seems unlikely that temperature changes of $2 \div 3$ degrees

in such a short time, so what we are seeing is probably a problem in the data bus. Similar effects have not been seen for other SAP house-keepings (but something similar is seen for the output port temperature, figure 6) so no further analysis on their origin has been done.

A final check on the consistency of the temperatures has been done by comparing the inclinometer and shaft encoder temperatures (see figure 5). The gap in the distribution is due to a telemetry loss which is also

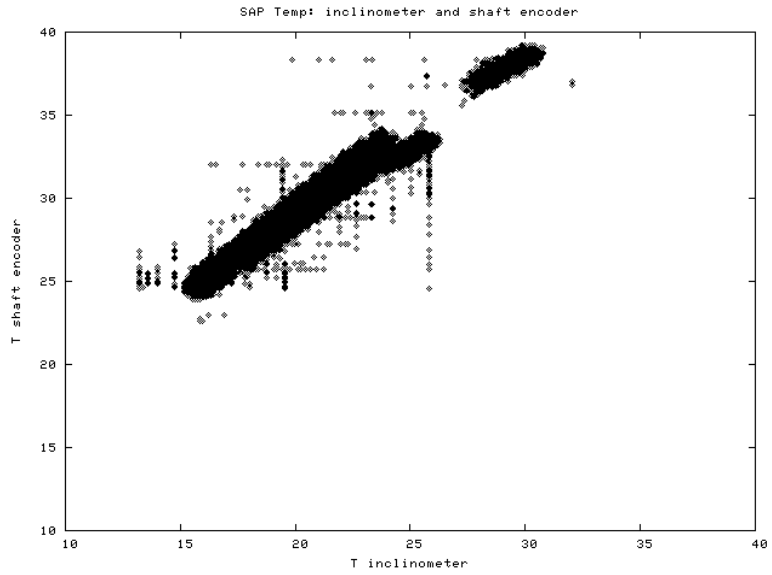
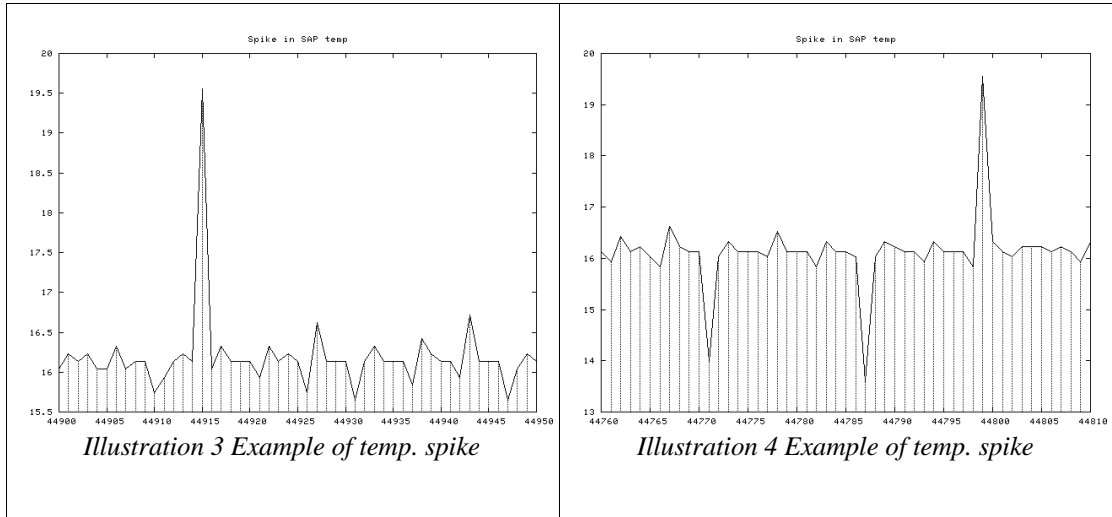


Illustration 5 Comparison of Inclinometer and shaft encoder temperatures

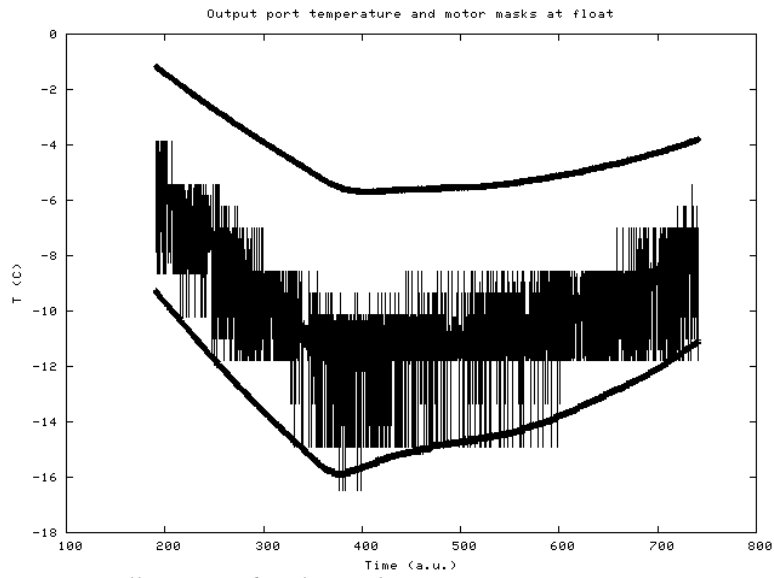


Illustration 6 Spikes in the output port temperature

FOREWORD

The SAP is a system designed to provide an absolute earth oriented (that is referred to gravity vector) pointing. Nominal accuracy is $\sim 0.02^\circ$ for deviations up to 3° from vertical.

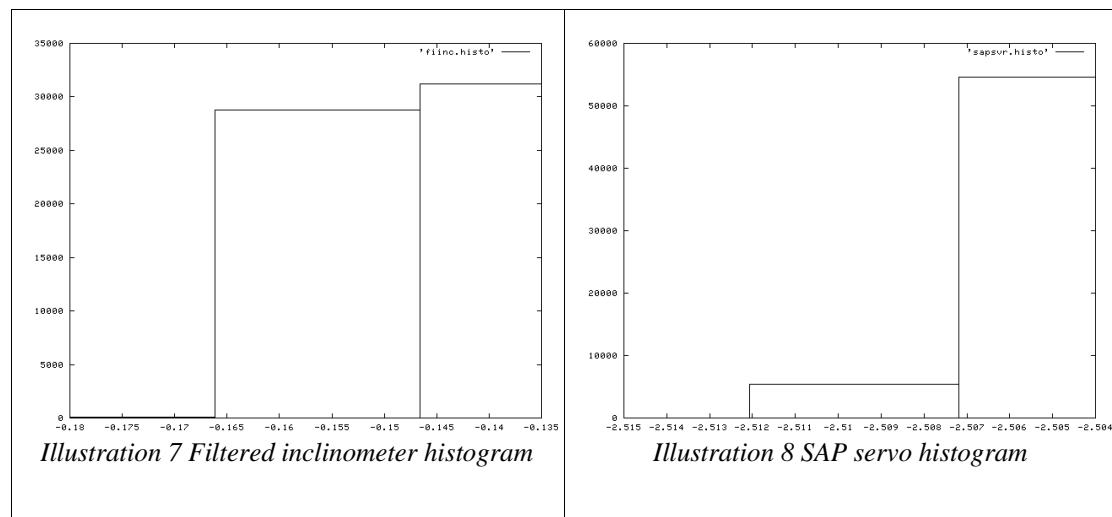
The SAP is divided in two parts, the *fixed* part which is fixed to the gondola, and the *moving* part which in normal flight conditions should keep the horizontal. The moving part can be rotated with respect to the fixed one by mean of a brushless motor **SAP Torquer Motor** and the relative position between the two elements is sensed by a **Linear Variable Differential Transformer**. Mounted on the movable part we find a rate integrating **Gyroscope** which senses the angular displacement with respect to the preset stabilization axis, and an **Inclinometer**¹ which senses the vector sum of the gravity and any lateral acceleration and a **Shaft Angle Encoder**² which measures the angle between the actual limb scan direction and a reference direction.

Both inclinometer and gyroscope are required for the stabilization because:

- the inclinometer by itself, when the moving part is locked to horizontal, senses the lateral acceleration of the oscillation providing a false 'correction' signal
- the gyroscope by itself, since it provides an absolute (star oriented) reference, will give origin to a false correction signal when the balloon moves over the earth (correction value depending on the latitude and on the pointing direction³).

From the analysis done it results that:

1. The so called manual (libretto istruzioni) does not contain many suggestion on how the proper working of the instrument is to be checked; in particular no suggestion on how the different sap signals are related one to the other is given
2. Conversion of telemetry to engineering values has been done using the file **CS.saf2k2**ⁱ (prepared by Pascale from the hskop.h file prepared by Menca)ⁱⁱ; conversion factors are taken in part from the electronics drawing, in part from information in the manual, i part from tests done when the SAP arrived in Florence
3. The digitization of analogue channels seems to be insufficient. In many cases the signal is mostly one bit noise as shown in figures 7, 8, 9, 10⁴.



- 1 See in directory BALLOON_INST/SAP the data sheet (LSOP)
- 2 See in directory BALLOON_INST/SAP the data sheet (HMT25)
- 3 As explained below in our case this effect is not present since the observation direction is towards North
- 4 See script histo for the creation of histograms

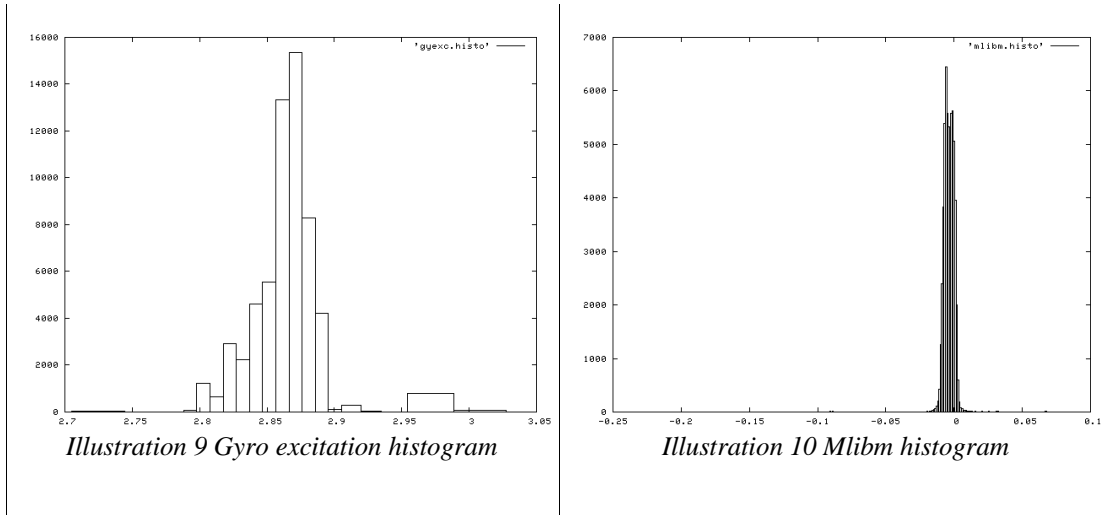


Illustration 9 Gyro excitation histogram

Illustration 10 Mlibm histogram

IMPORTANT NOTICE

All results presented here have been obtained using the data decoded a long time ago. Since then I have lost any idea on how the 'stripout' program works, so no other data can be

SHAFT ANGLE ENCODER

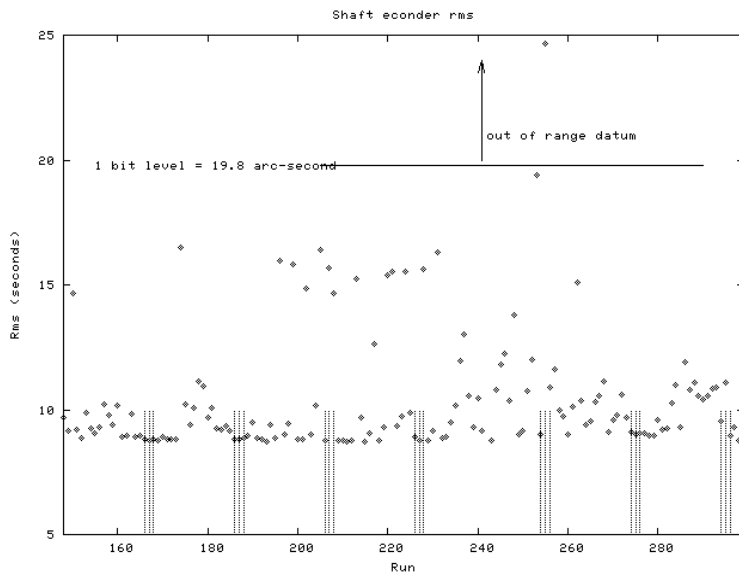


Illustration 11 Shaft Encoder - RMS values

Mounted on the movable part the **Shaft Angle Encoder**⁵ provides the angular reference for pointing with respect to the movable part of the SAP. In figure 11 I have shown the rms of the shaft encoder readings for the different runs⁶. Note that, with the exception of two runs, the rms is below the one bit level⁷, that is we do not expect any problem in pointing from the shaft angle encoder. Vertical lines denote runs with limb direction above horizontal.

A small rms however does not imply that values are consistently small. As a check I have evaluated the range of shaft encoder values for each run (range = uppermost value – lowermost value); result is shown in figure 12 .

Note that there are runs which have large oscillations; it may be shown that this effect comes from extremity of the run when the limb scan mirror moves from one position to the other and a residual of oscillation is present when the measurement has started (figure 13)

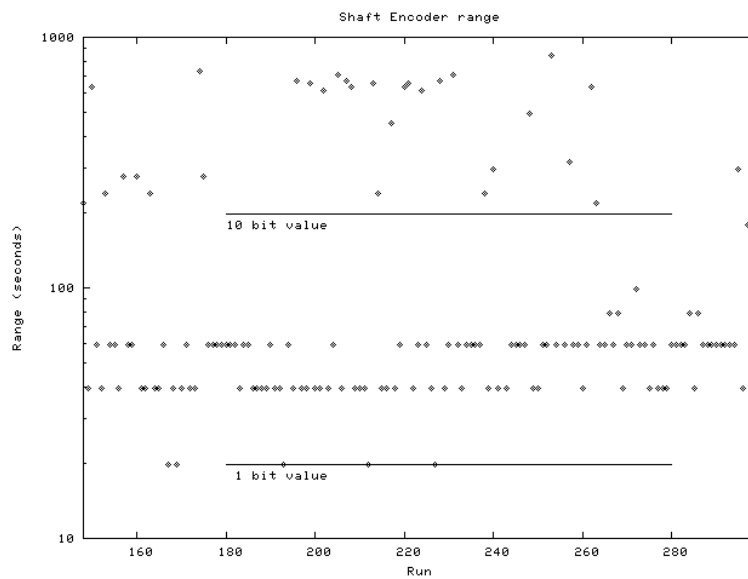
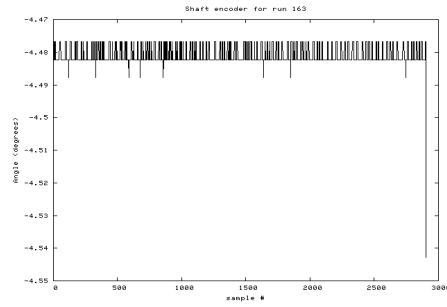


Illustration 12 Shaft Encoder - Reading Range

5 The Shaft Angle Encoder reads angle with a resolution of $\Delta = 360 \times 3600 / 65536 = 19.77''$

6 For this and similar evaluations see the script sap_rms

7 Quantization noise expected is $\sim \Delta / \sqrt{12} = 5.7''$



Coarse Inclinometers (alias Lucas Inclinometers)

Let us now have a look on how the gondola platform oscillates; we will for this use the coarse inclinometers⁸ mounted on the instrument baseplane⁹. The two inclinometers sense the oscillations of the axis parallel to the interferometer movement and of the axis normal to it (along the line of view). Results are shown in figure 14¹⁰.

Note the behaviour of inclinometer 1 which clearly shows how the gondola oscillates because of the change in center of mass due to the movement of the interferometer mirror. Note the stability of the other inclinometer¹¹.

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- 8 See accuDAS20.pdf in BALLOON/INST/SAP for the data sheet; please note that also bubble air inclinometer senses acceleration (see 00NTMJS.pdf)
 - 9 Nominal resolution is $40^\circ/4096 \cdot 3600 = 35'' \sim 0.01^\circ$ (see the file hskop.h); note however that from close examination of the plot the quantization level seems to be higher ($.05^\circ$). There is here something in the conversion which is unclear. In particular for the inclinometer #2 (which is the one related to the imb scan direction) the results imply shift in pointing which can increase from 1.2' to 6'.
 - 10 Times have been evaluate using the frame frequency as a standard (see file 2002.include)
 - 11 Really it seems that there is a change at time ~ 205 ; it would be interesting to check if this corresponds to a ballast drop.

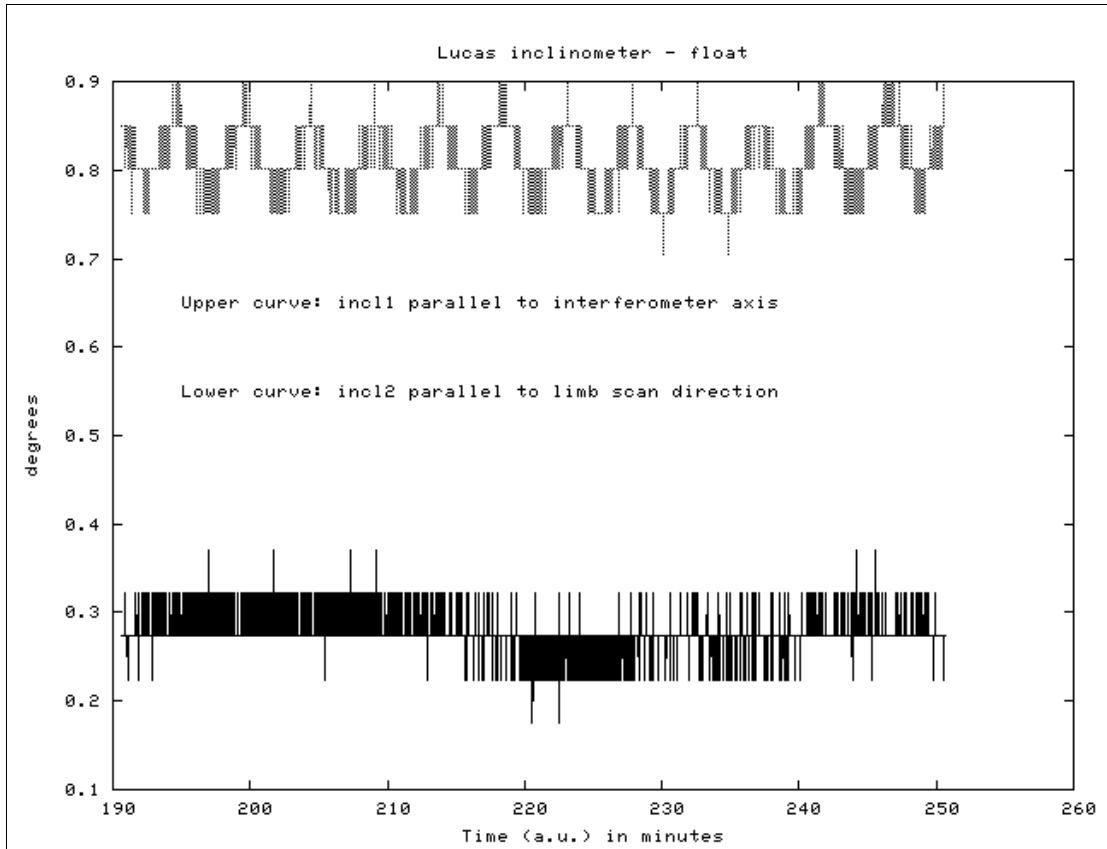


Illustration 14 Coarse Inclinometer - behaviour vs time

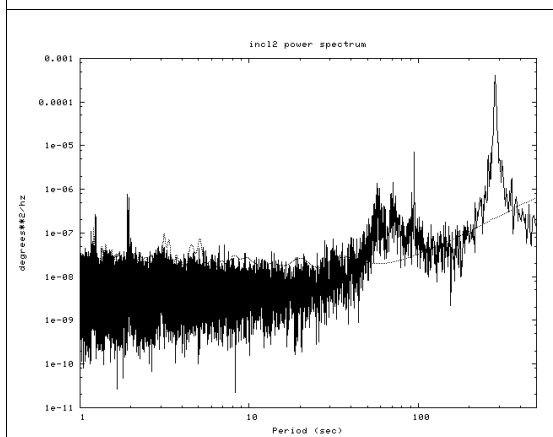


Illustration 15 Coarse inclinometer [1] - Power spectrum

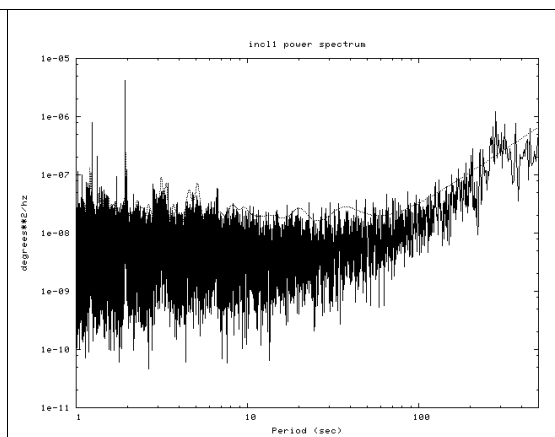


Illustration 16 Coarse inclinometer [2] - Power spectrum

It is interesting to note that inclinometer 1 has a peak for period of ~300 sec (figure 16)¹² which is the time required for two runs (forward + reverse); such a period is not seen for the other inclinometer (figure 15) and this probably means that there is no component of the movement along the transverse axis. Note also that

¹² In this figure as well in the following ones the power spectrum has been evaluated using the standard FFT techniques; also reported in the plots (as dotted line) the power spectrum evaluated using maximum spectral entropy which is smoother but apparently sometimes misses some feature.

1. both the inclinometers show a resonance at about 2 seconds¹³ (which is in agreement with oscillations of the gondola with respect to pivot, equivalent pendulum length ~1 m)
2. that there is apparently a small broad oscillation with period 50-90 seconds of the instrument optical axis (which does not appear on the other inclinometer). Its origin is not understood but, since it does not interfere with the pointing, we will not discuss it any more¹⁴)
3. no oscillation with periods of ~20 seconds is seen on either inclinometer; this means that the devices do not sense the oscillation due to the gondola with respect to balloon (equivalent pendulum length ~100 m)¹⁵

It is interesting to note that the time and frequency behaviour of the inclinometer along the instrument axis is similar, but not equal to the one of the current drawn by motor (see figures 18 and 19). This probably means that the difference between the forward / reverse directions is *built* inside the instrument (main peak at low frequency) but there is also a small effect and do not depend on the small angle

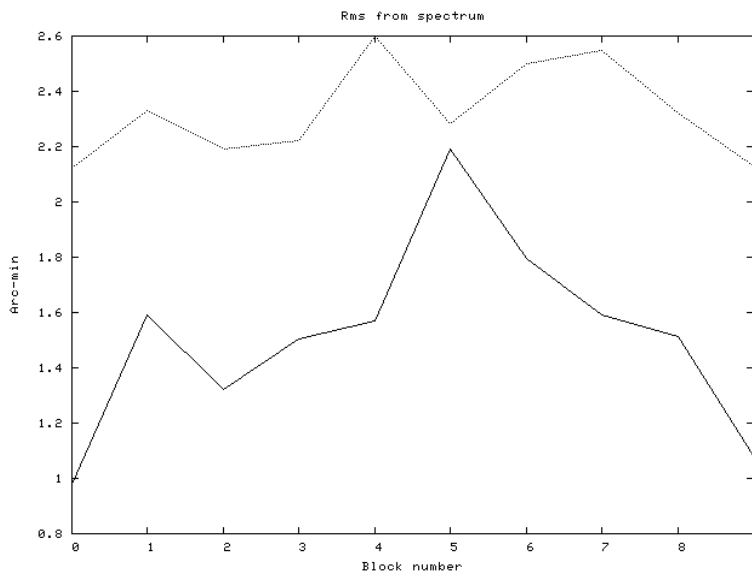


Illustration 17 Rms of inclinometers for different periods

Splitting the data in shorter section (8192 data each, about 1 hour) the rms for the different section is shown in figure 17. Note that rms for the inclinometer along instrument axis is greater than the one along the limb scan direction, but is more constant. The inclinometer along limb scan direction has a peak about 5 hours after float has been reached, and it would be interesting to compare this with the trajectory to understand if there is any relation with the change of N/S direction (southmost

point reached).

13 Near the threshold which is (-3dB) at 4 sec . (0.25 hz)

14 Long period oscillations have also been described by SAO; it has been suggested that they are of atmospheric origin (lee waves or buoyancy oscillations); in our case the second hypothesis may be discarded (expected resonance is at about 250 seconds). If we need more information we could split the data in several segments and check if there is a temporal dependence. See also in the text the considerations on figure 17

15 The Lucas inclinometer acts as an air bubble inclinometer; is this consistent with what we observe? According to what I have found the bubble inclinometer should act as an accelerometer.

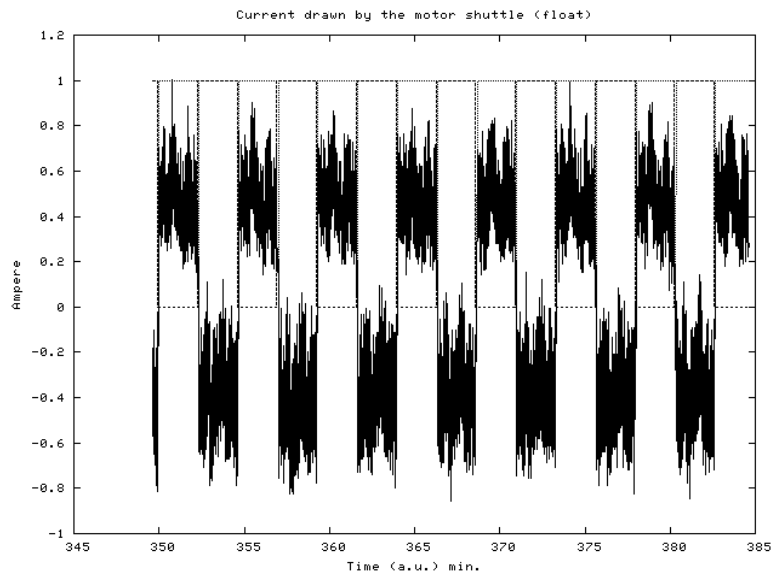


Illustration 18 Current drawn by interferometer motor

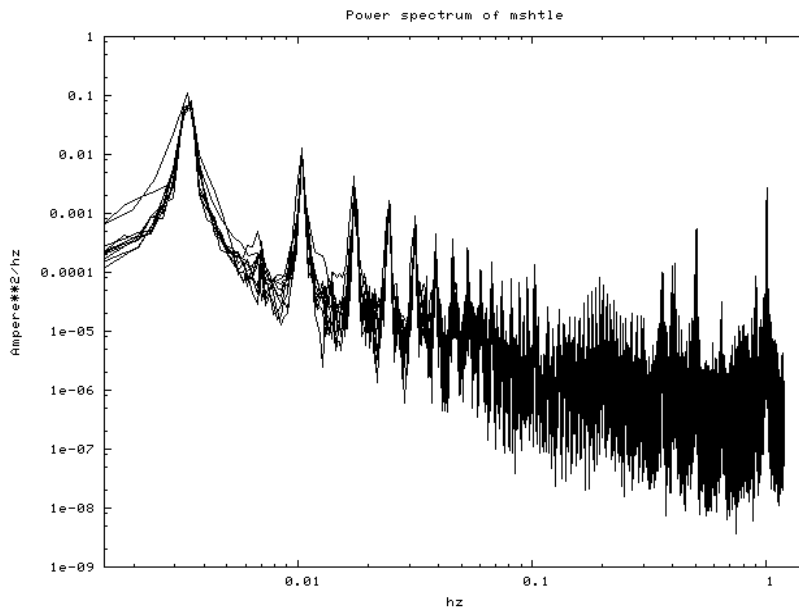


Illustration 19 Power spectrum of current drawn by motor

SAP Inclinometer

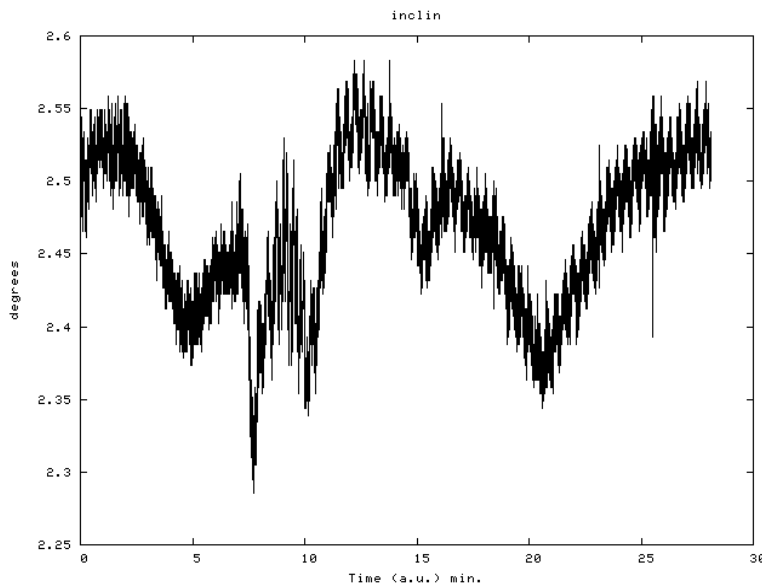


Illustration 20 SAP inclinometer - behaviour vs time

In figure 20 I show an excerpt (25 minutes) of data from the SAP inclinometer taken during float

Note that the oscillations are within 0.1° from the vertical¹⁶ that is well within the specs (3°) for proper working.

The power spectrum of the inclinometer signal is shown in figure 21. We can clearly see the oscillation at about 20-25 seconds (pendulum with respect to balloon, see also note 3 in Lucas inclinometer) and the oscillation at 2-2.5 seconds (pendulum with respect to pivot, also seen in

Lucas inclinometer). There is also an oscillation with period 8 seconds whose origin I do not understand, but which is probably related to some joint in the balloon train^{17,18}. There may also be (but in this case it is very small) a contribution at the double run (forward + reverse).

Here I have a problem: how to find out from the spectrum the contribution of the different modes to the oscillations (should this be important). The obvious (and tedious) procedure should probably be to isolate the part of spectrum we are interested in and then make an inverse FFT. For simplicity I think that a raw procedure may be adopted taking advantage of the fact that the square integral is constant; so, for instance, the oscillation at 0.5 hz has a content of $\sim 2 \cdot 10^{-7} \cdot 0.1 = 2 \cdot 10^{-8}$ degree²; the corresponding oscillation

should therefore be $1.4 \cdot 10^{-4}$ degrees $\sim 0.5''$; the oscillation at .05 hz has a total content of $\sim 10^{-4} \cdot 0.1 = 10^{-5}$ which correspond to 0.003 degrees $\sim 0.2'$. These crude estimates however seems to be in disagreement with what I see on the plots (see figure 22).

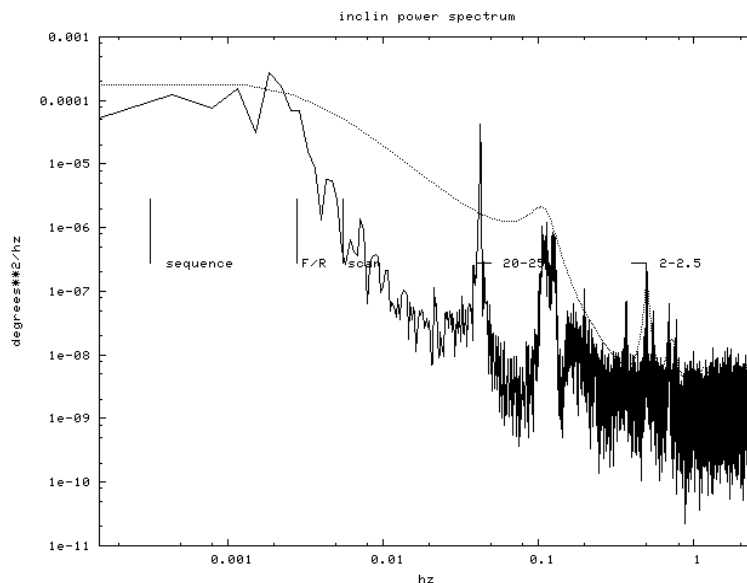


Illustration 21 SAP Inclinometer - Power spectrum

16 The offset level (2.5°) is the residual of an incomplete conversion from telemetry stream

17 I have asked Andrea if he has the drawing of the balloon train

18 It is not clear to me why this band is seen using the SAP inclinometer and not using the Lucas one.

Maybe this is due to the different mechanisms of the two devices?

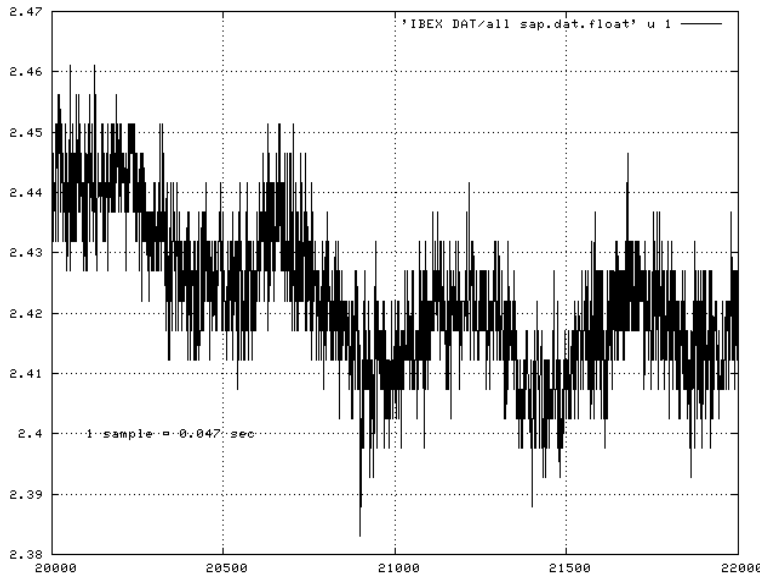


Illustration 22 SAP Inclinometer - short section

The oscillation at 500 samples (23 sec) seems to span over $\pm 0.01^\circ$ and the one at high frequency seem to span over $\pm 0.005^\circ$, that is a factor 2-3 greater than the crude estimate. Anyway, even assumig the higher values of 0.01 degrees for the oscillations, the filtering effect of SAP should leave a residual motion for SAP less than 0.001 degrees ($4 \div 5''$).

There are two final considerations to make about the inclinometer; as said above the inclinometer senses also lateral accelerations, that is, even in absence of oscillations a non null signal may be produced because of changes in balloon speed along N-S direction (which is our pointing direction). In order to evaluate the possible effects of acceleration I have extracted from the gps data the information relative to the trajectory¹⁹ (see figure 23)

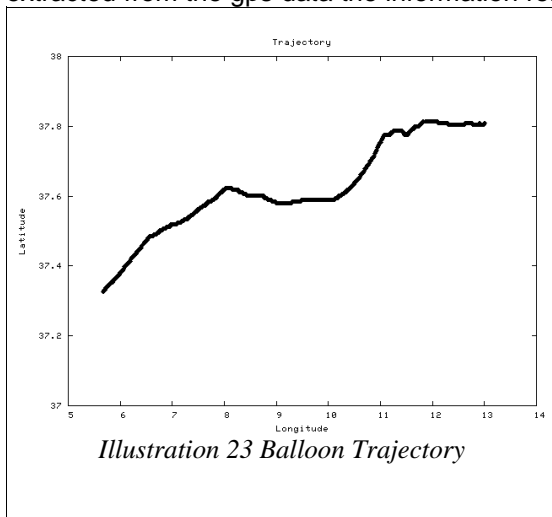


Illustration 23 Balloon Trajectory

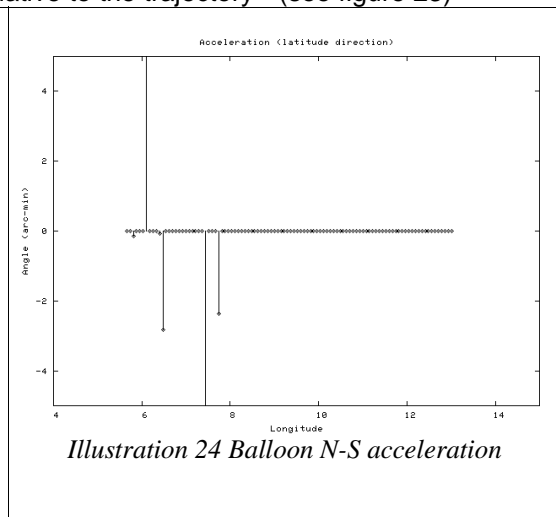


Illustration 24 Balloon N-S acceleration

and then , by differentiating twice I have evaluated the acceleration along latitude (figure 24) The acceleration is expressed as angular deviation from the local vertical expressed in arc minutesⁱⁱⁱ. Note that with a few exceptions which are probaby outliers (I have not checked by hand all the gps data) the effect of lateral acceleration is well below the arc-min (probably a few arc-sec) and it may be therefore be disregarded. This is an advantage of a summer flight when high altitude winds are more stable than during turnaround. As a comparison during turnaround values as high as 0.7° for period of hours have been suggested corresponding to accelerations of 0.11 m/sec^2 and change of speed of 400 m/sec over one hour. From the knowledge we have of the wind this was not our case.

Another source of problem may be the rotation of the gondola around its vertical axis. Calling ω the rotational speed the error with respect to true vertical will be given by $\varphi^{20} \sim \omega^2 R/g$; as-

19 See files speed.awk and accel.awk

20 Angle in radians

suming $R \sim 1\text{m}$, $g = 9.81 \text{ m/sec}^2 \rightarrow \omega \sim \sqrt{(g \varphi)} \rightarrow T > 118/\sqrt{\varphi}^{21}$. So accuracy with $1'$ requires rotation with period larger than 120 seconds. Azimuth pointing system has kept the N-S direction within 1° for all the flight so no problem is expected. Remember that azimuth pointing has effects on the horizontal (see above, pag. 5) because of the movement over earth surface²². Pointing towards geographical North eliminates this effect, and since we point towards magnetic North a small effect (time dependent because of the variation in magnetic declination) is expected²³; the order of magnitude of the error is $1 \div 3 \text{ arc-min}$.

A more rough but still interesting point of view may be the one obtained by analysis of the zero crossing signal (a pulse which is true whenever the inclinometer passes through the vertical. Results for different time periods are shown in figure 25 (for more clarity they are shown shifted in frequency). Same results also shown in figures 26 and 27). There is clearly a main oscillation at about 0.5 hz, the strength of which changes during the flight.

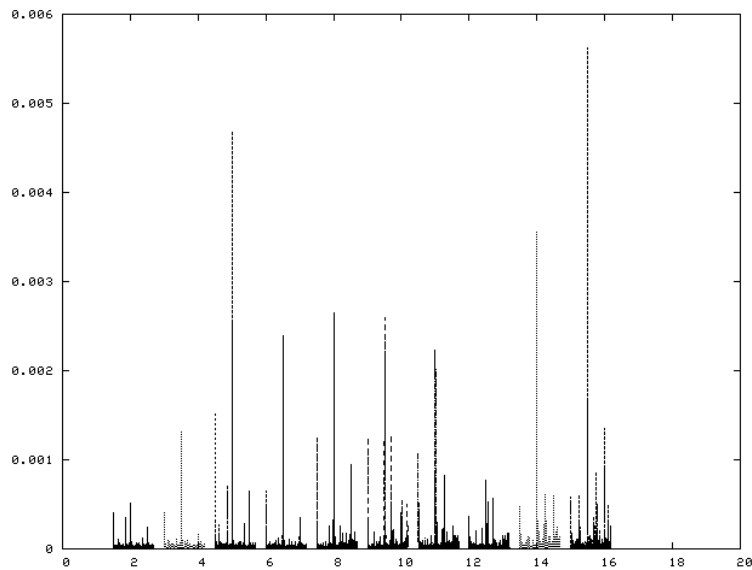
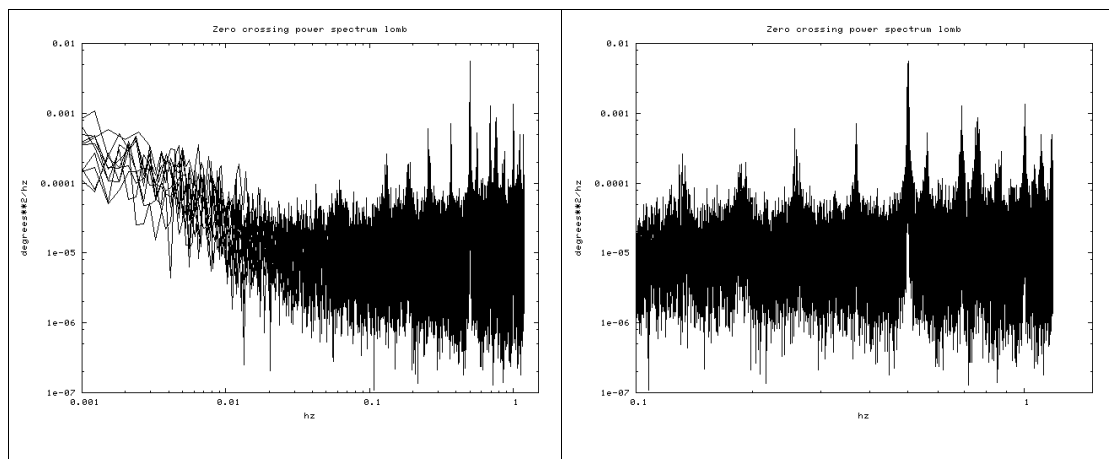


Illustration 25 Power spectra of vertical signal



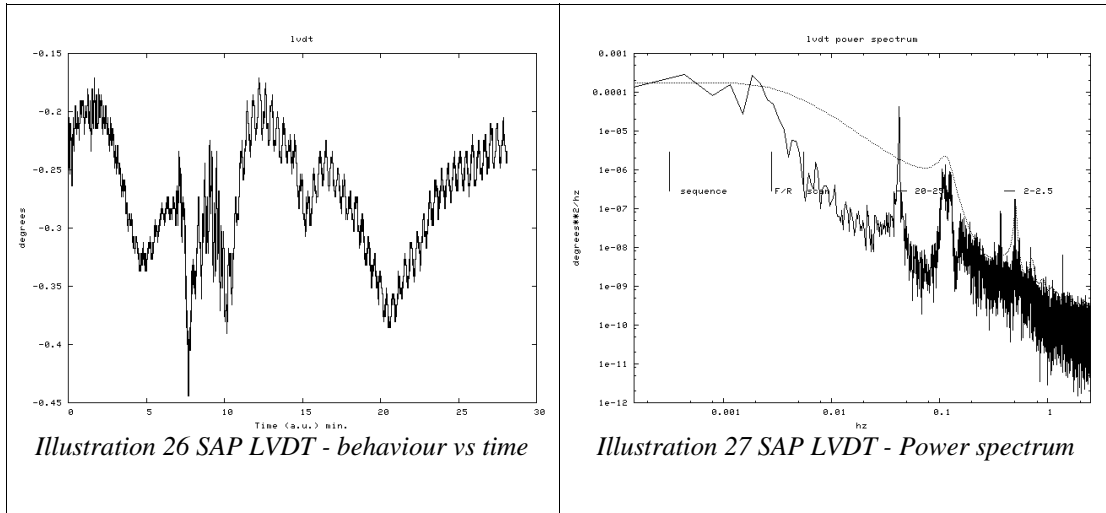
21 Angle in minutes

22 See also BALLOON_INST/correzione_terra

23 See in BALLOON_INST/documenti lancio an programs in Lavoro/model geophysics

LVDT

In normal conditions the LVDT is out of the control chain, so it acts only as a sensor of the displacement between the movable and the fixed part of SAP. In the simplified case of simple pendulum oscillation the LVDT signal will therefore closely mimic the inclinometer signal.



This is clearly apparent from figures 26 and 27. A better way of seeing the correlation between inclinometer and LVDT is shown in figure 28 where the LVDT values are plotted as a function of inclinometer readings.

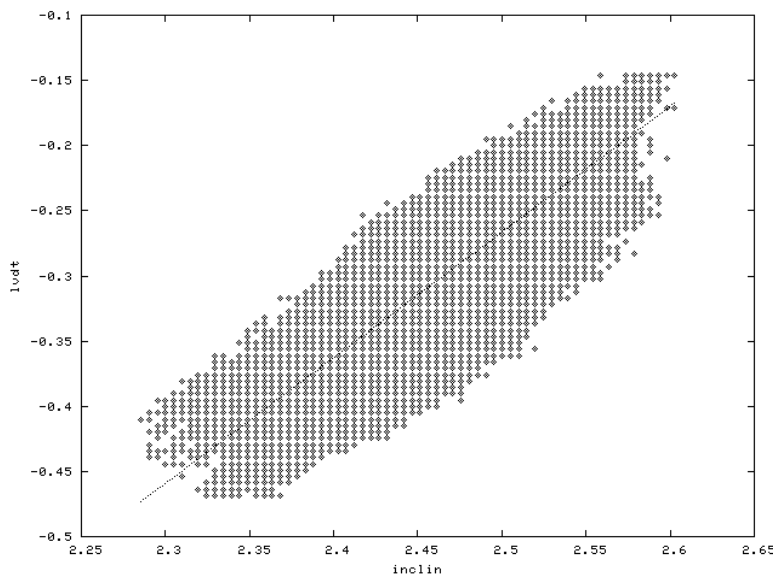


Illustration 28 LVDT vs Inclinometer readings

The linear best fit (using all data recorded during float) is

$$\text{LVDT} = (0.964 \pm 0.001) * \text{Inclinometer} - (2.675 \pm 0.002)$$

with a residual χ -square of 0.0009.

A similar result may be found if we compare the values averaged over single runs (figure 29). The two best fits have been found by fitting inclinometer vs lvdt and lvdt vs inclinometer; the error in dependent variable has been used as a

weight.

variance of residuals (reduced chisquare) = WSSR/ndf : 5.45743	
Final set of parameters	Asymptotic Standard Error
=====	
a = 1.06102	+/- 0.03572 (3.367%)
b = -2.92804	+/- 0.08796 (3.004%)
variance of residuals (reduced chisquare) = WSSR/ndf : 1.98106	
Final set of parameters Asymptotic Standard Error	

A	= 0.711949	+/- 0.02037	(2.862%)
B	= 2.68151	+/- 0.00641	(0.2391%)

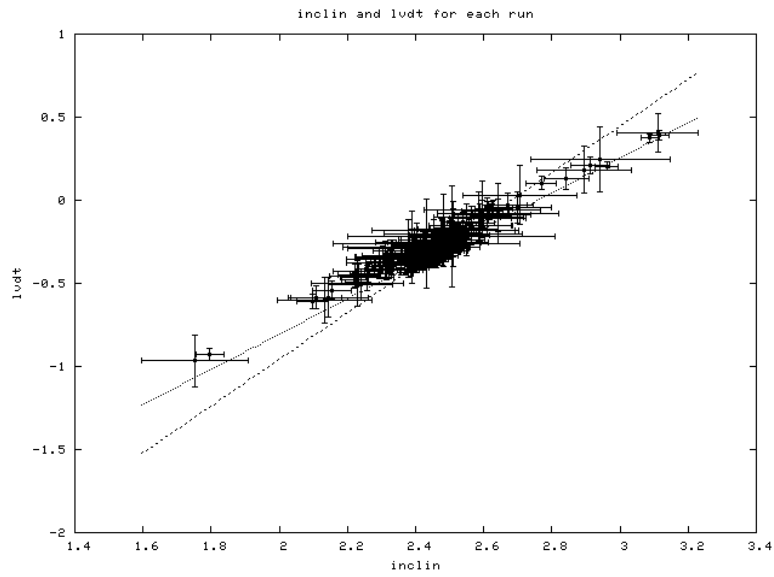
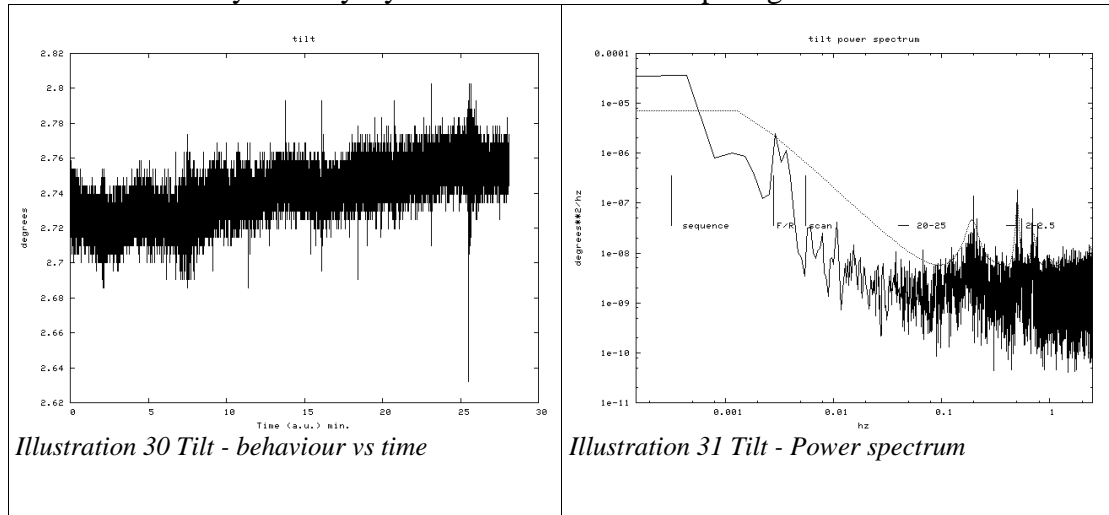


Illustration 29 LVDT vs inclinometer - averaged over runs

a	= 1.06102	+/- 0.03572	(3.367%)
b	= -2.92804	+/- 0.08796	(3.004%)
variance of residuals (reduced chisquare) = WSSR/ndf : 1.98106			
Final set of parameters		Asymptotic Standard Error	
A	= 0.711949	+/- 0.02037	(2.862%)
B	= 2.68151	+/- 0.00641	(0.2391%)

Tilt

There is no special purpose device for measuring the tilt²⁴ apart for the Lucas inclinometer (see section Coarse Inclinometers (alias Lucas Inclinometers), pag 8). Since the LVDT measures (when the SAP is in normal mode) the sway and tilt, while the inclinometer measures the sway we may try to evaluate the tilt comparing the two data sets.



Results are shown as a function of time in figure 30, and as power spectrum in figure 31. It is interesting to note that the tilt has a slow change ($\sim 1'$ in about 30 minutes). Such a change was not seen from the Lucas inclinometers (figure 14) because their resolution is not enough²⁵. It is interesting to note that the power spectrum of tilt has also a component corresponding to the the double run (forward/reverse) period²⁶; this suggests that there is some small unalignment left between the stabilization axis and the mechanical layout of the instrument (carriage movement is not normal with respect to stabilization axis). Note also the small residuals at ~ 2 and ~ 8 hz which are there because the acceleration sensed by the inclinometer corrects only the larger sway of the 'long' pendulum.

²⁴ The only tilt we are interested in is the one along the limb scan axis.

²⁵ Again: from the specs the resolution would be enough, but there are problems with temperature drifts and non linearities. See also note 9

²⁶ With some good willingness some indication of this may also be seen in figure 14

Filtered Inclinometer

The signal from the inclinometer is passed through a low pass filter ($f < 0.0032$ Hz); resulting signal is used to correct for slow changes due either to gyro drift, from initial offsets from horizontal, from movements above earth surface.

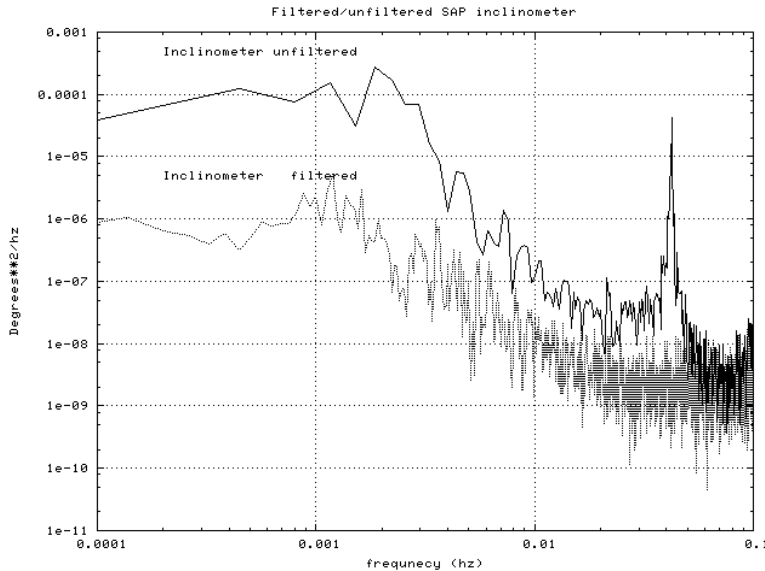


Illustration 32 Filtered/unfiltered inclinometer comparison

A comparison of the the filtered and unfiltered signals is shown in figure 32. Note that, as expected, the resonance at ~ 0.05 Hz (20 sec, balloon pendulum) is damped by a factor $\sim 10^{-3}$ more than expected from the manual. The filtered inclinometer as a function of time is shown in figure 33. Note that it is practically constant (± 1 bit).

As a further check I have numerically integrated the inclinometer (integration was done using a simple running average kernel); the run-

ning average kernel covered a span of 20 minutes (more or less in agreement with the 1000 sec. time constant of the filter). The computed averaged signal has been compared with the filtered signal (no quantization introduced for simplicity) and results are shown in figure 34; it is clear that the two sets of data are in good agreement.

According to SAP manual the average inclinometer (which I think should be the filtered inclinometer) should not be larger than the value read by the gyro pickoff. The comparison has been done (see figure 33); apparently the two values are more or less similar but the filtered inclinometer is mostly one bit noise. So, I think, we may consider the requirement fulfilled.

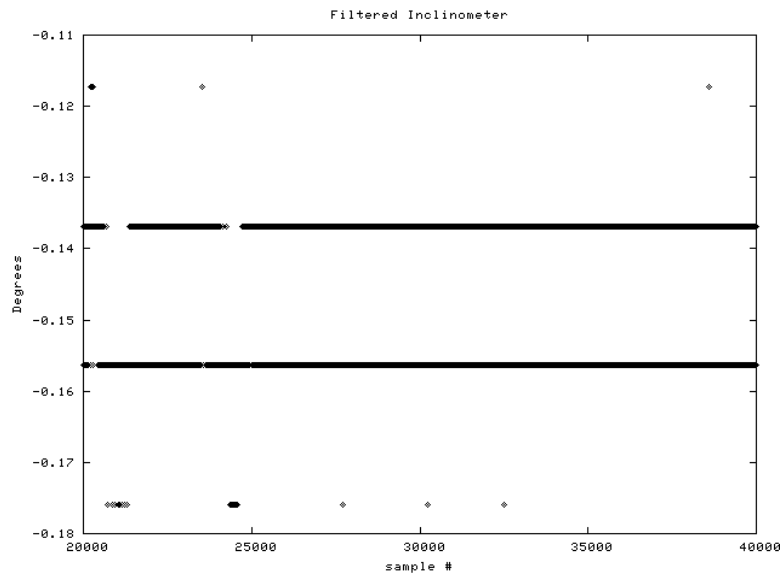


Illustration 33 Filtered Inclinometer vs time

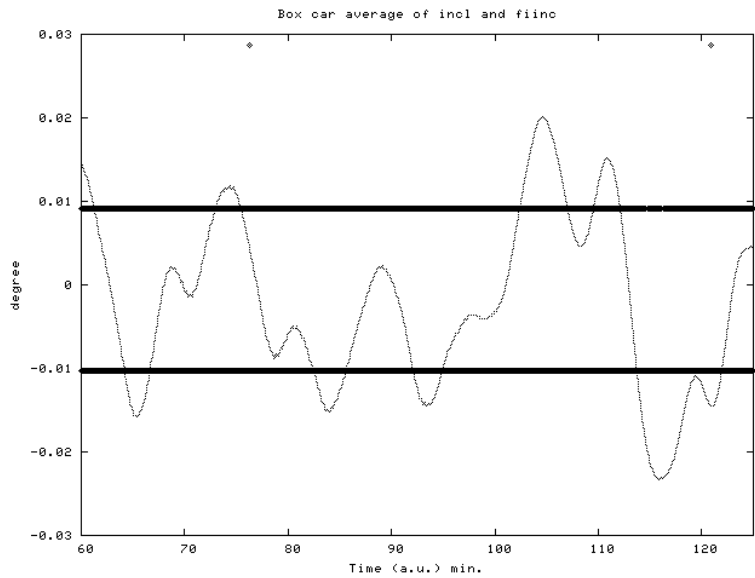
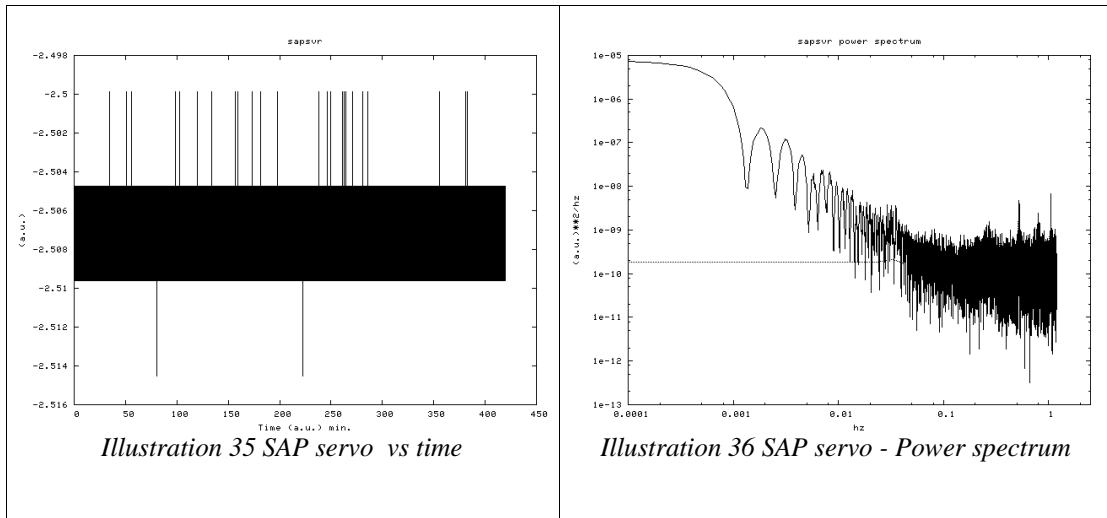


Illustration 34 Filtered Inclinator and integrated inclinometer

Other SAP values



Not all other housekeepings may be handled (and understood) easily ; let us for instance consider the sap servo motor current (Table SAP-2 pag 7 of the SAP manual)²⁷. Plotting its value as a function of time (see figure 35) it is evident that the variation are within the quantization limit and that that the spectrum looks like a white noise passed through a low pass filter.

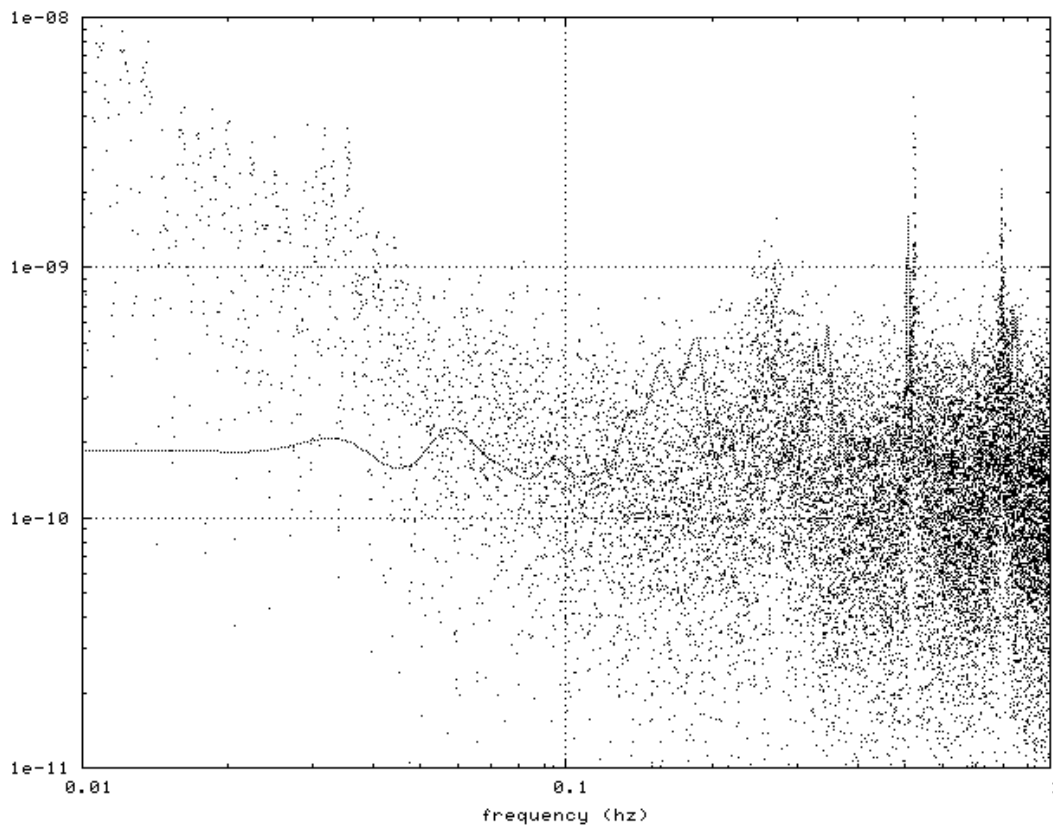


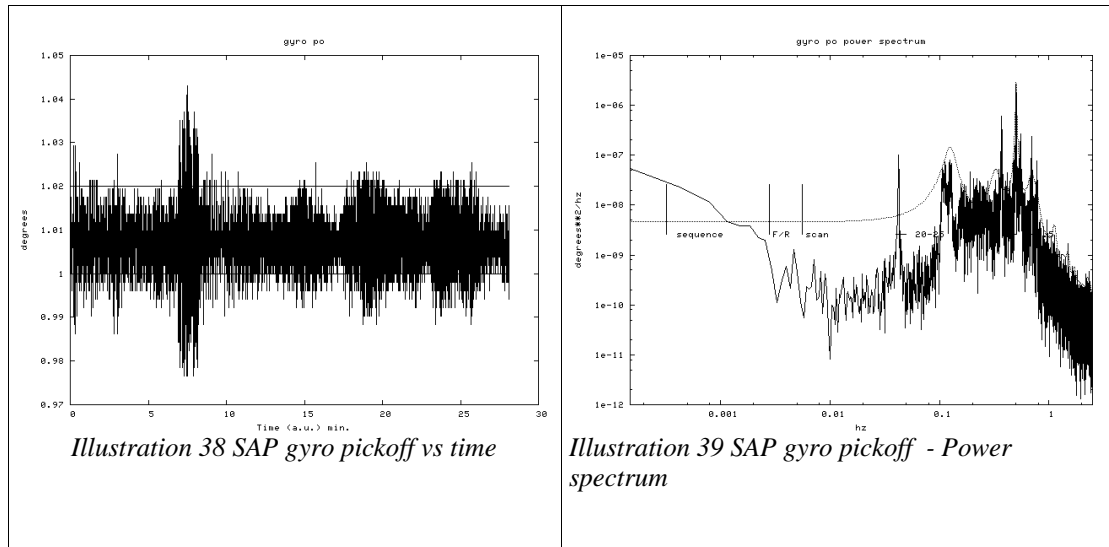
Illustration 37 SAP servo - expanded

An expanded view is shown in figure 37; this suggests that the power spectrum has some components corresponding to gondola oscillations, but no component is visible for balloon

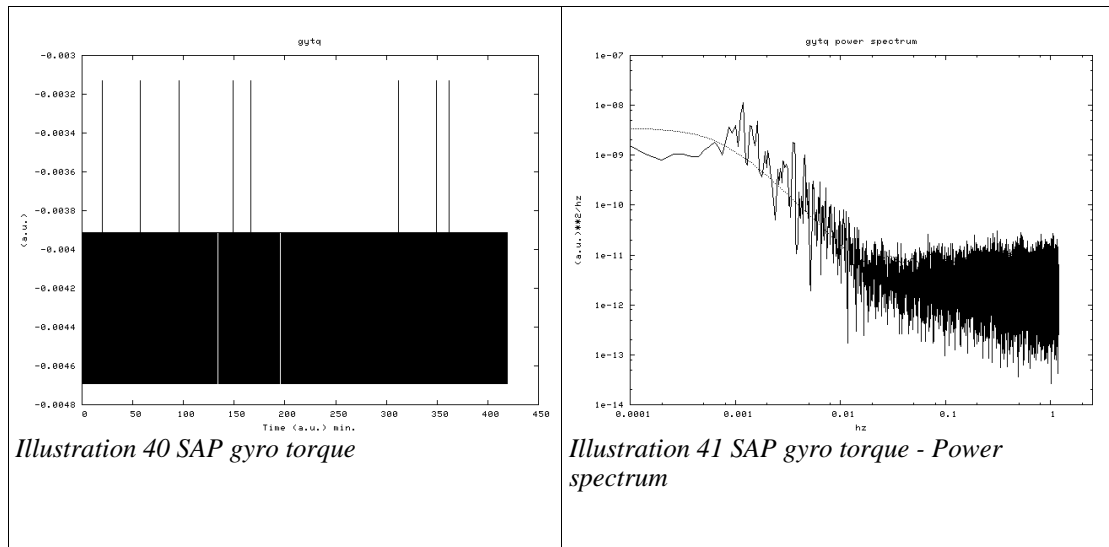
²⁷ Resolution expected $5A/4096=1.22mA$

oscillations.

This is probably because the sap torque is produced by the gyro pickoff (see pag 21) after passing it through a filter



Similar considerations apply to the gyro pickoff²⁸ (see figure 38 and 39)



As well at to the gyro torquer (see figures 40 and 41), Note that the gyro torque signal (which comes from the outer loop, the slow one) has no high frequency component as it should be²⁹.

²⁸ This is the residual sway of stabilized SAP see libretto pag 19

²⁹ There is a note from Kelly stating that it comes directly from the filtered inclinometer (pag 18); The two power spectra are closely similar.

```

i #-----
#
#
# SAFIRE SCI
#
#
#-----

```

```

BEGIN
eb90

```

```

FILETIME LINCOM 1 FILEFRAM 0.432 0.0
FTIME FRAMETIME FILEFRAM 2.31481481

```

AID_BIT	BIT	AI	0		
FASTGAIN	SHR	AI	1	0x0003	
CARTPOS	SHR	AI	4	0xffff	
CARTSPD	DIFF	CARTPOS	4096		
SR1		SHR	R1	1	0xffff
SR2		SHR	R2	1	0xffff
clsang	SHR	NOWCNF	4	0x0fff	
cmaskrel	BIT	NOWCNF	3		
cmaskins	BIT	NOWCNF	2		
cbbrel	BIT	NOWCNF	1		
cbbins	BIT	NOWCNF	0		
nlsang	SHR	NXTCNF	4	0x0fff	
nmaskrel	BIT	NXTCNF	3		
nmaskins	BIT	NXTCNF	2		
nbbrel	BIT	NXTCNF	1		
nbbins	BIT	NXTCNF	0		
cd0sg		SHR	NOWSLW	0	0x000f
cd1sg		SHR	NOWSLW	8	0x000f
nd0sg		SHR	NXTSLW	0	0x000f
nd1sg		SHR	NXTSLW	8	0x000f
maxpath	SHR	PTHLSR	4	0x0fff	
phi		BIT	PTHLSR	2	
phf		BIT	PTHLSR	1	
BOOTSTRP	BIT	DCFLAGS	0		
STANDBY	BIT	DCFLAGS	1		
STARTUP	BIT	DCFLAGS	2		
ACTIVE	BIT	DCFLAGS	3		
SHUTDOWN	BIT	DCFLAGS	4		
CARMOV	BIT	DCFLAGS	5		
CARDOWN	BIT	DCFLAGS	6		
ZEROSCH	BIT	DCFLAGS	7		
INWINDOW	BIT	DCFLAGS	9		
EMER_BRK	BIT	DCFLAGS	10		
CLOCKW	BIT	DCFLAGS	11		
ACLOCKW	BIT	DCFLAGS	12		
CMDPEND	BIT	DCFLAGS	13		
CRASH		BIT	DCFLAGS	14	
BADCMD	BIT	DCFLAGS	15		
laserpow	LINCOM	1	LASPOW	-6.8E-4	22

```

#####
### SAP

```

SFR	BIT	SAPSTS	0	# Servo Fast Response
ZCR	BIT	SAPSTS	1	# Zero Crossing
MAN	BIT	SAPSTS	2	# 1 Manual, 0 Auto
NORM	BIT	SAPSTS	3	# 1 Normal, 0 Init
SHTR	BIT	SAPSTS	4	# SHTR Open
HTR7	BIT	SAPSTS	5	# Heater 7 ON
HTR6	BIT	SAPSTS	6	# Heater 6 ON
HTR5	BIT	SAPSTS	7	# Heater 5 ON
SMOTON	BIT	SAPSTS	10	# SAP MOTOR ON
SGYON	BIT	SAPSTS	11	# SAP Gyro Motor ON
SIHTRON	BIT	SAPSTS	12	# SAP Inclinomater Heater ON
SIHTREN	BIT	SAPSTS	13	# SAP Inclinomater Heater Enable
SEHTRON	BIT	SAPSTS	14	# SAP Encoder Heater ON
SEHTREN	BIT	SAPSTS	15	# SAP Encoder Heater Enable

inclin	LINCOM	1	INCLIN	3.0518E-4	-10.0	
lvdt	LINCOM	1	LVDT	3.0518E-4	-12.5	
sha_enc	LINCOM	1	SHA_ENC	-0.00549316	109.187622	
elereg	LINCOM	1	ELEREG	-0.00549316		109.187622
gyro_po	LINCOM	1	GYRO_PO	1.2207E-4	-4	
gyro_po_	LINCOM	1	GYRO_PO	1.1719E-3	-38.4	
fiinc	LINCOM	1	FIINC	1.2207E-3		-50.0
gycomp	LINCOM	1	GYCOMP	1.8311E-3	-60.0	
sapsts	LINCOM	1	SAPSTS	1.0	0.0	
gyexc	LINCOM	1	GYEXC	1.5259E-4	-5.0	
mgyac	LINCOM	1	MGYAC	1.5259E-4	-5.0	

#####

TEMPERATURES

m1t1	LINCOM	1	M1T1	1.5259e-3	-50.	
m1t2	LINCOM	1	M1T2	1.5259e-3	-50.	
m2t1	LINCOM	1	M2T1	1.5259e-3	-50.	
m2t2	LINCOM	1	M2T2	1.5259e-3	-50.	
m1t1k	LINCOM	1	M1T1	1.5259e-3		223.15
m1t2k	LINCOM	1	M1T2	1.5259e-3		223.15
m2t1k	LINCOM	1	M2T1	1.5259e-3		223.15
m2t2k	LINCOM	1	M2T2	1.5259e-3		223.15
mm1t	LINCOM	1	MM1T	3.0518E-3	-124.2	
mm2t	LINCOM	1	MM2T	3.0518E-3	-124.2	
edect	LINCOM	1	EDECT	1.5259E-3	-24.2	
inclt	LINCOM	1	INCT	1.5259E-3	-24.2	
shenct	LINCOM	1	SHENCT	1.5259E-3	-24.2	
lasert	LINCOM	1	LASERT	6.1040E-5	-2.4	
coffint	LINCOM	1	COFFINT	1.5259E-3	-24.2	
airt	LINCOM	1	AIRT	1.5259E-3	-24.2	
oinstt	LINCOM	1	OINSTT	1.5259E-3	-24.2	
mbrkt	LINCOM	1	MBRKT	3.0518E-3	-124.2	
telet	LINCOM	1	TELET	3.0518E-3	-124.2	
ceut	LINCOM	1	CEUT	3.0518E-3	-124.2	
gyrot	LINCOM	1	GYROT	3.8147E-3	-125.0	
brtt	LINCOM	1	BRTT	1.0		0.0
stct	LINCOM	1	STCT	1.0		0.0
preampt	LINCOM	1	PREAMPT	1.0		0.0

#####

CURRENT MONITOR

ceucur	LINCOM	1	CEUCUR	0.15625	-20.0	
gytq	LINCOM	1	GYTQ	4.8828E-5	-2.0	
sapsvr	LINCOM	1	SAPSVR	3.0518E-4	-12.5	
mshtle	LINCOM	1	MSHTLE	6.1035E-4	-20	
mllibm	LINCOM	1	MLIBM	6.1035E-5	-2.0	

#####

VOLTAGE MONITOR

vm5		LINCOM 1	VM5	3.0518E-4	-10
vmp15		LINCOM 1	VMP15	9.1553E-4	-30
vmm15		LINCOM 1	VMM15	9.1553E-4	-30
vmp28		LINCOM 1	VMP28	1.2207E-3	-40

#####

###

pcbias		LINCOM 1	PCBIAS	1.0	0.0
incl1		LINCOM 1	INCL1	-3.05176E-3	145.0 #x
incl2		LINCOM 1	INCL2	3.05176E-3	-145.0 #y

#####

Cryo

d2v1_		SHR	D02V1	0	0x00ff	
d0v1_		SHR	D02V1	8	0x00ff	
d2v2_		SHR	D02V2	0	0x00ff	
d0v2_		SHR	D02V2	8	0x00ff	
d2t_		SHR	PREAMPT 0	0x00ff		
d0t_		SHR	PREAMPT	8	0x00ff	
d2dc_		SHR	D02BS	0	0x00ff	
d0dc_		SHR	D02BS	8	0x00ff	
d0v1		LINCOM	1	d0v1_	0.15625	-20.0
d1v1		LINCOM	1	d2v1_	0.15625	-20.0
d0v2		LINCOM	1	d0v2_	0.15625	-20.0
d1v2		LINCOM	1	d2v1_	0.15625	-20.0
d0t		LINCOM	1	d0t_	7.8125E-2	-10.0
d1t		LINCOM	1	d2t_	7.8125E-2	-10.0
d0dc		LINCOM	1	d0dc_	7.8125E-2	-10.0
d1dc		LINCOM	1	d2dc_	7.8125E-2	-10.0

DAID_BIT	LINCOM 1	AID_BIT	1	16392	
DINTNUM	LINCOM	1	INTNUM	1	16392
DCARMOV	LINCOM	1	CARMOV	1	16392

END 0 0

ii #ifndef __HSK_OP_H

#define __HSK_OP_H

static char *hsk_op_SccsId = "@(#) hskop.h 1.6 6/14/93";

#include "defs.h"

#include "bitmask.h"

#define OUT_OF_RANGE 9999.

#define ALARM TRUE

#define ITSOK FALSE

#define RELEASED 2

#define INSERTED 1

/*-----*/

#define E_INT_NUMBER(value) (value)

/*-----*/

#define E_MASK_STATUS(value) ((value)&TWO_B)

#define E_BB_STATUS(value) ((SHIFT((value),-2))&TWO_B)

/* 12 bits : 0 -> -180 , 4096 -> 180) */

/* revision 18/5/92 sign of angle in 0x0800,
was on 0x0100


```

#define E_MASKX_TX(value)    LIN_INT(-50.,50.,F_12_B,0,\
                             (SHIFT((value),-4)))

#endif
#define E_MASK1_T1(value)    E_MASKX_TX(value)
#define E_MASK1_T2(value)    E_MASKX_TX(value)
#define E_MASK2_T1(value)    E_MASKX_TX(value)
#define E_MASK2_T2(value)    E_MASKX_TX(value)
/*-----*/
/*   the macro linearly interpolates for the temperature
range -24.20 , 75.70 assuming a 10 bits ADC with range 0 - 1023
                             (-10 +10 unipolar ADC)
range -24.20 , 75.70 assuming a 12 bits ADC with range 2048 - 4095
                             (-10 +10 bipolar ADC)          */
#define E_AD590_10_T(value)  LIN_INT(-24.2,75.7,F_10_B,0,\
                                     (SHIFT((value),-6)))
#define E_AD590_12_T(value)  LIN_INT(-24.2,75.7,H_12_B,H_12_B,\
                                     (SHIFT((value),-4)))
/*-----*/
#ifdef REV_0
#define E_M_MASK1_T(value)    E_AD590_10_T(value)
#define E_M_MASK2_T(value)    E_AD590_10_T(value)
#else
#define E_M_MASK1_T(value)    E_AD590_12_T(value)
#define E_M_MASK2_T(value)    E_AD590_12_T(value)
#endif
/*-----*/
#define E_SAP_DECK_T(value)    E_AD590_10_T(value)
/*-----*/
#define E_INCLIN_T(value)      E_AD590_10_T(value)
/*-----*/
#define E_SHA_ENC_T(value)     E_AD590_10_T((value))
/*-----*/
#define E_LASER_T(value)       E_AD590_10_T(value)
/*-----*/
#define E_COFFIN_T(value)      E_AD590_10_T(value)
/*-----*/
#define E_AIR_T(value)         E_AD590_10_T(value)
/*-----*/
#define E_BS_INSTR_T(value)    E_AD590_10_T(value)
/*-----*/
#define SWITCH_OFFSET          0x48e8
/*   interpolate 0 - 360 degrees over bit range 0 - 65536   */
#define E_SHA_ENC(value)      (\
                               (SWITCH_OFFSET-(unsigned)(value))\
                               *360./65535.)
/*-----*/
/*   interpolate 0 - 360 degrees over bit range 0 - 65536   */
#define E_ELEV_REGISTER(value) (\
                               (SWITCH_OFFSET-(unsigned)(value))\
                               *360./65535.)
/*-----*/
/*   interpolate -60 - +60 degrees over bit range 0 - 4096   */
#define E_GYRO_COMP(value)     LIN_INT(-60.,60.,F_12_B,0,\
                                     (SHIFT((value),-4)))
/*-----*/
/*   following macros return TRUE when bit is set   */
#define E_SAP_FAST(value)      (~(__F_T((value),SAP_FAST_BIT)))
#define E_SAP_ZERO(value)      (~(__F_T((value),SAP_ZERO_BIT)))
#define E_SAP_MANUAL(value)    (~(__F_T((value),SAP_MANUAL_BIT)))
#define E_SAP_NORMAL(value)    (~(__F_T((value),SAP_NORMAL_BIT)))
#define E_SAP_SHTR(value)      (~(__F_T((value),SAP_SHUTTER_ON_BIT)))
#define E_SAP_HTR7(value)      (~(__F_T((value),SAP_HEATER7_ON_BIT)))
#define E_SAP_HTR6(value)      (~(__F_T((value),SAP_HEATER6_ON_BIT)))
#define E_SAP_HTR5(value)      (~(__F_T((value),SAP_HEATER5_ON_BIT)))

```

```

#define E_SAP_MOTOR(value)  (~(__F_T((value),SAP_MOTOR_ON_BIT)))
#define E_SAP_GYROM(value)  (~(__F_T((value),SAP_GYR_MOT_ON_BIT)))
#define E_SAP_INCL_HTR_S(value) (~(__F_T((value),SAP_INC_HTR_ON_BIT)))
#define E_SAP_INCL_HTR_E(value) (~(__F_T((value),SAP_INC_HTR_EN_BIT)))
#define E_SAP_ENC_HTR_S(value) (~(__F_T((value),SAP_ENC_HTR_ON_BIT)))
#define E_SAP_ENC_HTR_E(value) (~(__F_T((value),SAP_ENC_HTR_EN_BIT)))
/*-----*/
/* linearly interpolates in range -5 +5 V over 1024 bits */
#define E_GYRO_EXCIT(value)  LIN_INT(-5.0,5.0,F_10_B,0, \
                                  (SHIFT((value),-6)))
/*-----*/
/* linearly interpolates in range -125 +125 C over 1024 bits */
#define E_GYRO_T(value)     LIN_INT(-125.0,125.0,F_10_B,0, \
                                  (SHIFT((value),-6)))
/*-----*/
/* linearly interpolates in range -5 +5 V over 1024 bits */
#define E_M_GYRO_AC(value)  LIN_INT(-5.0,5.0,F_10_B,0, \
                                  (SHIFT((value),-6)))
/*-----*/
#define E_M_BRAKE_T(value)  E_AD590_12_T(value)
/*-----*/

#define E_BARATRON_T(value)  E_AD590_12_T(value)
/*-----*/
#define E_TELESCOPE_T(value) E_AD590_12_T(value)
/*-----*/
#define E_SENSOTEC_T(value)  E_AD590_12_T(value)
/*-----*/
#define E_CEU_T(value)       E_AD590_12_T(value)
/*-----*/
/* linearly interpolates in range -10 +10 V over 4096 bits */
#define OP12(value)         LIN_INT(-10.0,10.0,F_12_B,0, \
                                  (SHIFT((value),-4)))
/*-----*/
/* zero is moved to offset 2.5 V ; if NORMAL_BIT is set
   datum is converted to 1 unit = 2.5 V , otherwise it
   is converted to 9.6 unit = 2.5 V */
#define E_GYRO_PICKOFF(value) ( E_SAP_NORMAL(value) ? \
                               (( OP12(value) - 2.5 ) / 2.5 ) : \
                               (( OP12(value) - 2.5 ) * (9.6/2.5) ) )
/*-----*/
/* zero is moved to offset 2.5 V ;
   datum is converted to 0.4 unit = 2.5 V */
#define E_GYRO_TORQUE(value) (( OP12(value) - 2.5 ) * (0.4 / 2.5))
/*-----*/
/* linearly interpolates in range -10 +10 V over 4096 bits */
#define E_INCLIN(value)     ( OP12(value) )
/*-----*/
/* zero is moved to offset 2.5 V ;
   datum is converted to 4 unit = 1.0 V */
#define E_FILT_INCLIN(value) (( OP12(value) - 2.5 ) * 4. )
/*-----*/
/* zero is moved to offset 2.5 V ;
   datum is converted to 1 unit = 1.0 V */
#define E_LVDT(value)       (( OP12(value) - 2.5 ) )
/*-----*/
/* linearly interpolates in range -10 +10 V over 4096 bits */
#define E_VOLT_MON_5(value) OP12(value)
/*-----*/
/* linearly interpolates in range -30 +30 V over 4096 bits */
#define E_VOLT_MON_P15(value) (OP12(value)*3)
/*-----*/
/* linearly interpolates in range -30 +30 V over 4096 bits */

```

```

#define E_VOLT_MON_M15(value) (OP12(value)*3)
/*-----*/
/* linearly interpolates in range -40 +40 V over 4096 bits */
#define E_VOLT_MON_P28(value) (OP12(value)*4)
/*-----*/
/* zero is moved to offset 2.5 V ;
   datum is converted to 1 unit = 1.0 V */
#define E_SAP_SERVO(value) ( OP12(value) - 2.5 )
/*-----*/
/* useful conversion values */
/* revision of TOR_2_MB was 1014/760
   PSI_2_MB was 69.95
*/
#define TOR_2_MB (1000./750.065)
#define PSI_2_MB (1000./14.5038)
#define KPA_2_MB (6.895*PSI_2_MB)
/*-----*/
/* revision to take into account half range work of ADC */
/* sensotec has max output at 0xbf0 (shifted) corresponding
   to 5 V ; for overpressure we output out_of_range value ,
   otherwise we fit linearly between 0 and 1. psi over
   the output range and then convert to mbar */
#define MAX_SNS (unsigned)0xbf0
#define E_SENSOTEC_P(value) (((value) > MAX_SNS) ? \
                               OUT_OF_RANGE :\
                               (LIN_INT(0.,1.,(0x0bff-0x0800),0x0800, \
                               (SHIFT((value),-4))))*PSI_2_MB)
/*-----*/
/* sensotec has max output at 0xffe0 (shifted) ; for over-
   pressure we output out_of_range value , otherwise we fit
   linearly between 0 and 10.000 torr over the output range
   and then convert to mbar */
#define MAX_BRT (unsigned)0xffe0
#define E_BARATRON_P(value) (((value) > MAX_BRT) ? \
                               OUT_OF_RANGE :\
                               (LIN_INT(0.,10.000,(0x0fff-0x0800),0x0800, \
                               (SHIFT((value),-4))))*TOR_2_MB)
/*-----*/
/* linearly interpolates in range -10 0 Volts over 2048 bits
   conversion made assuming -10 V @ 0 mbar and
   0 V at 1034 mbar */
#define E_LASER_P(value) ((2048.-((value)>>4))/2048*1034)
/*-----*/
/* linearly interpolates in range -20 +20 A over 4096 bits
   still requires conversion to pressure units */
#define E_M_SHUTTLE(value) (2.*OP12(value))
/*-----*/
/* linearly interpolates in range -2 + 2 A over 4096 bits
   still requires conversion to pressure units */
#define E_M_LIMB_AMP(value) (0.2*OP12(value))
/*-----*/
/* fit -20 +20 degrees over range 0 - 4096 */
#define INCLIN_SCALE 10
#define NULL_OUTPUT 4.5
#define FULL_SCALE (2*NULL_OUTPUT)
#define E_OUR_INCL_X(value) ((-LIN_INT(-10.,10.,F_12_B,0,\
                               (SHIFT((value),-4))) + NULL_OUTPUT) \
                               * INCLIN_SCALE)
#define E_OUR_INCL_Y(value) ((LIN_INT(-10.,10.,F_12_B,0,\
                               (SHIFT((value),-4))) - NULL_OUTPUT) \
                               * INCLIN_SCALE)
/*-----*/
/* this is bourdon pressure
   range 0. 1000. millibar over half 12 bit range */

```

```

#define E_SPARE_AN_1(value)  LIN_INT(0.,1000.,H_12_B,H_12_B, \
                                (SHIFT((value),-4)))
/*    line added 2 march 1993          */
#define E_SODEME(value)      E_SPARE_AN_1(value)
/*-----*/
/*    modified and added 2 lines 2 march 1993 */
#define E_SPARE_AN_2(value)  (value)
#define E_OPTDSK_PR_A(value) (LIN_INT(0.,15.,H_12_B,H_12_B, \
                                (SHIFT((value),-4))*PSI_2_MB)
#define E_OPTDSK_PR_D(value) (((value)>>2)&0x3f)
/*-----*/
/*    modified and added 1 line 2 march 1993 */
#define E_SPARE_AN_3(value)  (value)
#define E_MAGNETOMETER(value) ((1-SHIFT((value),-4)/4096.)*180)
/*-----*/
#define E_SPARE_AN_4(value)  OUT_OF_RANGE
/*-----*/
/*    preamp : T in K is volt * 100  */
/*    nota
    20 V -> 255 scalini => 1 scalino -> 20/255= .078 V
    la calibrazione da .01 V per grado e cioe' 1 bit -> 8 gradi
*/
#define NIBBLE(value)        (((float)(value)/EIGHT_B)*20.-10.)
#define E_PREAMP_T(value)    (NIBBLE(value) * 100 - 273.4)
#define E_DET_VOLT(value)    (((float)(value)/EIGHT_B)*40. - 20.)
#define E_PREAMP01_T(value)  E_PREAMP_T(UPPER_BYTE(value))
#define E_PREAMP23_T(value)  E_PREAMP_T(LOWER_BYTE(value))
#define E_PC_BIAS(value)     (0.2*(LIN_INT(-10.,10.,EIGHT_B,0, \
                                (LOWER_BYTE(value)))) -1.5)

#define E_DET0_VOLT1(value)  E_DET_VOLT(UPPER_BYTE(value))
#define E_DET2_VOLT1(value)  E_DET_VOLT(LOWER_BYTE(value))
#define E_DET0_VOLT2(value)  E_DET_VOLT(UPPER_BYTE(value))
#define E_DET2_VOLT2(value)  E_DET_VOLT(LOWER_BYTE(value))
#define E_DET1_VOLT1(value)  E_DET_VOLT(UPPER_BYTE(value))
#define E_DET3_VOLT1(value)  E_DET_VOLT(LOWER_BYTE(value))
#define E_DET1_VOLT2(value)  E_DET_VOLT(UPPER_BYTE(value))
#define E_DET3_VOLT2(value)  E_DET_VOLT(LOWER_BYTE(value))
#define E_DET0_BIAS(value)   NIBBLE(UPPER_BYTE(value))
#define E_DET2_BIAS(value)   NIBBLE(LOWER_BYTE(value))
#define E_DET1_BIAS(value)   NIBBLE(UPPER_BYTE(value))
#define E_DET3_BIAS(value)   NIBBLE(LOWER_BYTE(value))
/*    offset value 16385 reevaluated from AEU tests made in
    IROE, sec. 2.3.1          */
#define E_INTERF(value,aid)  (((long)SHIFT((value),-1)-16385)<< \
                                (3-(SHIFT((aid),-1)&TWO_B)))
#define E_OPTI_STATUS(value) ((value) & OPTI_WORD)
#define E_OPTI_IS_STDBY(value) ((value) & OPTI_STDBY)
#define E_OPTI_IS_RECOR(value) ((value) & OPTI_RECOR)
#define E_OPTI_IS_READ(value) ((value) & OPTI_READ)
#define E_OPTI_IS_DIAG(value) ((value) & OPTI_DIAG)
#endif

```

iii We first find speed in arc-sec/sec (samples are given at a rate of 0.1 hz, one per 10 sec) which is the converted to m/sec ; 1 arc-sec corresponds to $(6378 * 2 * \pi)/(360*3600) * 1000$; from this we may find the acceleration in m/sec^2 ; deviation in degrees will then be approximatively given by the ratio of this acceleration with gravity acceleration.